

## Monetizing

 Excess
## Returns

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## Spaulding \& Honner Approach



## Begin by monetizing the portfolio and benchmark returns

## If no external flows

- For portfolio, simply take the difference between the starting and ending values
- Example: start with/\$1,000,000 and end with \$1,100,000
- The portfolio's monetized return $=100,000$
- In percentage terms (we're familiar with):

$$
R_{P}=\frac{V_{E}}{V_{B}}-1=\frac{1,100,000}{1,000,000}-1=10 \%
$$

## For the benchmark (no external flows)

 Apply the benchmark's return to the portfolio's starting value, to get what would have been the value had the benchmark had that money- $R_{B}=9.00 \%$, therefore:
$1.09 \times 1,000,000=1,090,000$
- Monetized return =
$1,090,000-1,000,000=90,000$


## If no external flows:

## Excess returns, just take the differences

$$
\begin{array}{ll}
E R_{S O D}^{\%}=R_{P}^{\%}-R_{B}^{\%} & E R_{S O D}^{\$}=R_{P}^{\$}-R_{B}^{\$} \\
=10.00 \%-9.00 \%=1.00 \% & =100,0000-90,000=10,000
\end{array}
$$

## When we have external flows

- A bit more challenging, but this is where we get to see the approach we think makes sense
- We'll look at this from both a start- and end-of-day perspective


## Start-of-Day (SOD)

- Measure the portfolio's return from the start of the period to the day before the flow
- Use the period-to-date return through the prior day to calculate the monetized return
- Add the cash flow to the prior day's ending value, and use it as the starting value for the next period of time
- Our example will have a single flow though the principle works with > 1 flow


## Start-of-Day Example Return before the flow

- Begin the month of June with $\$ 1$ million
- An external flow on the $15^{\text {th }}$ of $\$ 75,000$
- Portfolio value a/o COB June $14=\$ 1,046,078$
- Calculate return up to prior day:

$$
R_{1-14}=\frac{V_{E}}{V_{0}}-1=\frac{1,046,078}{1,000,000}-1=4.61 \%
$$

## Start-of-Day Example Return after the flow

- Add the cash flow to the prior day's ending value: $75,000+1,046,078=1,121,078$ The end-of-month value is $1,140,980$ Calculate the return for the second part of the month:

$$
R_{15-30}=\frac{V_{E}}{V_{0}}-1=\frac{1,140,980}{1,121,078}-1=1.78 \%
$$

## Returns for the full month

- We geometrically link these two returns to get the percentage return for the month

$$
\begin{aligned}
& R_{\text {Monrh }}=\prod\left(1+R_{i}\right)-1 \\
& =(1+0.0461)(1+0.0178)-1 \\
& =6.46 \%
\end{aligned}
$$

## Nothing new, so far

## You already know this, I'm sure

- Calculating the percentage returns is nothing new, and knowing how to calculate them by doing daily valuations is pretty standard stuff
- Now, we want to derive the Monetized Returns


## Monetized Returns

- Monetized return (gain/loss) for first part of month is the value before the flow, minus $V_{0}$

$$
1,046,078-1,000,000=46,078
$$

- Monetized return for second part is ending value minus the period's starting value

$$
1,140,980-1,021,078=19,902
$$

- Just add them together to get the portfolio's Monetized Return for the month

$$
46,078+19,902=65,980
$$

## Summary Table: SOD for Portfolio

|  | Start-of-day cash flow treatment |  |  |  |  |
| :---: | :---: | :---: | :---: | ---: | :---: |
|  | Portfolio |  |  |  |  |
| Date | $\mathbf{V}_{\mathbf{0}}$ | CF | $\mathbf{V}_{\mathbf{E}}$ | Gain/Loss | Return |
| $6 / 1 / 2023$ | $1,000,000$ |  |  |  |  |
| $6 / 14 / 2023$ | - |  | $1,046,078$ | 46,078 | $4.61 \%$ |
| $6 / 15 / 2023$ | $1,121,078$ | 75,000 |  |  |  |
| $6 / 30 / 2023$ | - |  | $1,140,980$ | 19,902 | $1.78 \%$ |
| June |  |  |  |  |  |
| Excess Return |  |  |  |  |  |
|  |  |  |  |  |  |

## End-of-Day (EOD)

- Ignore flow until end-of-day the flow occurred Calculate the return through end-of-day, w/o the flow
- Add external flow to the day's ending value This value represents the starting value for the second part of the month


## End-of-Day Example in \% Terms

- Same as Start-of-Day: i.e., started with $\$ 1$ MM End-of $-15^{\text {th }}$ value (w/o flow) $=\$ 1,058,841$ Return through $15^{\text {th }}$ (before the flow):

$$
R_{1-15}=\frac{V_{E}}{V_{0}}-1=\frac{1,058,841}{1,000,000}-1=5.88 \%
$$

## End-of-Day Example

- Add the flow to the ending day's value: $1,058,841+75,000=1,133,841$
- This is the starting value for $2^{\text {nd }}$ part of month - Measure second part of month's return

$$
R_{16-30}=\frac{V_{E}}{V_{0}}-1=\frac{1,140,980}{1,133,841}-1=0.55 \%
$$

## End-of-Day Example

## Portfolio's Return for the Month

- Again, we geometrically link these two returns to get the return for the month

$$
\begin{aligned}
& R_{\text {Month }}=\prod\left(1+R_{i}\right)-1 \\
& =(1+0.0588)(1+0.0055)-1 \\
& =6.46 \%
\end{aligned}
$$

## Monetized Portfolio Returns

- Monetized return (gain/loss) for first part of month is the value before the flow, minus $V_{0}$

$$
1,058,841-1,000,000=58,841
$$

- Monetized return for second part is ending value minus the period's starting value

$$
1,140,060-1,133,841=6,220
$$

- Just add them together to get the month's Monetized Return

$$
58,841+6,220=65,060
$$

## Summary Table: EOD

|  | End-of-day cash flow treatment |  |  |  |  |  |
| :---: | :---: | :---: | :---: | ---: | :---: | :---: |
|  | Portfolio |  |  |  |  |  |
| Date | $\mathbf{V}_{\mathbf{0}}$ | CF | $\mathbf{V}_{\mathbf{E}}$ | Gain/Loss | Return |  |
| $6 / 1 / 2023$ | $1,000,000$ |  |  |  |  |  |
| $6 / 15 / 2023$ |  | 75,000 | $1,058,841$ | 58,841 | $5.88 \%$ |  |
| $6 / 16 / 2023$ | $1,133,841$ |  |  |  |  |  |
| $6 / 30 / 2023$ |  |  | $1,140,060$ | 6,220 | $0.55 \%$ |  |
| June |  |  |  |  |  |  |
|  |  |  |  |  |  |  |

## Monetized Benchmark Returns

- Use the portfolio's starting value ( $\$ 1 \mathrm{~mm}$ ) as the benchmark's starting value
Apply benchmark returns
We will "back into" the ending value


## Monetized Benchmark Returns

- $R_{B}=9 \%$

With no flows, it's simple:
Ending value $=(1+9 \%) \times 1,000,000=1,090,000$

- With flows, use the benchmark returns as we did with the portfolio's, except that we "back into" the values, since the returns exist and can be found (independent of the portfolio's activity)


## Benchmark Start-of-Day Return

- \$75,000 flow occurred on the $15^{\text {th }}$;
- Benchmark's return through the $14^{\text {th }}=3.26 \%$
- Apply this to the starting value:

$$
1,000,000 \times(1+3.26 \%)=1,032,605
$$

- Add the flow to start the $2^{\text {nd }}$ half of the month:

$$
1,032,605+75,000=1,107,605
$$

- Benchmark return for $2^{\text {nd }}$ half of month $=1.25 \%$
- Ending value backed into:

$$
1,107,605 \times(1+1.25 \%)=1,121,401
$$

Calculating the benchmark's return for the month

We geometrically link these two returns to get the return for the month

$$
\begin{aligned}
& R_{\text {Monrh }}=\prod\left(1+R_{i}\right)-1 \\
& =(1+0.0326)(1+0.0125)-1 \\
& =4.55 \%
\end{aligned}
$$

## Monetized SOD Benchmark Returns

- Same as what we did for portfolio
- First part of month:

$$
1,032,605-1,000,000=32,605
$$

- Second part of month:

$$
1,121,401-1,107,605=13,795
$$

- For month:

$$
32,605+13,795=46,401
$$

## Monetize SOD Benchmark Returns

|  | Start-of-day cash flow treatment |  |  |  |  |
| :---: | :---: | :---: | :---: | ---: | ---: |
|  | Benchmark |  |  |  |  |
| Date | $\mathbf{V}_{\mathbf{0}}$ | CF | $\mathbf{V}_{\mathbf{E}}$ | Gain/Loss | Return |
| $6 / 1 / 2023$ | $1,000,000$ |  |  |  |  |
| $6 / 14 / 2023$ | - |  | $1,032,605$ | 32,605 | $3.26 \%$ |
| $6 / 15 / 2023$ | $1,107,605$ | 75,000 |  |  |  |
| $6 / 30 / 2023$ |  |  | $1,121,401$ | 13,795 | $1.25 \%$ |
| June |  |  |  |  |  |

If end-of-day treatment, similar to what we did w/portfolio
Except we, again, back into the values

|  | End-of-day cash flow treatment |  |  |  |  |
| :---: | :---: | :---: | :---: | ---: | :---: |
|  | Benchmark |  |  |  |  |
| Date | $\mathbf{V}_{\mathbf{0}}$ | CF | $\mathbf{V}_{\mathbf{E}}$ | Gain/Loss | Return |
| $6 / 1 / 2023$ | $1,000,000$ |  |  |  |  |
| $6 / 15 / 2023$ | - | 75,000 | $1,045,616$ | 45,616 | $4.56 \%$ |
| $6 / 16 / 2023$ | $1,120,616$ |  |  |  |  |
| $6 / 30 / 2023$ |  |  | $1,120,456$ | $(160)$ | $-0.01 \%$ |
| June |  |  |  |  |  |

## Deriving SOD Excess Returns

We do this in both a \% and \$ basis

|  | Start-of-Day |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Portfolio |  | Benchmark |  |
|  | Gain/Loss | Return | Gain/Loss | Return |
| June | 65,980 | $6.46 \%$ | 46,401 | $4.55 \%$ |

$$
\begin{array}{ll}
E R_{S O D}^{\sigma_{0}}=R_{P}^{\%_{C}}-R_{B}^{\%_{\%}} & E R_{S O D}^{\S}=R_{P}^{\S}-R_{B}^{\S} \\
=6.46 \%-4.55 \%=1.92 \% & =65,980-46,401=19,579
\end{array}
$$

## Resetting Frequency

- The article also touches on this topic, from two perspectives
- Resetting gain/loss values
- Resetting the benchmark values
- Because we want to discuss the basic concept we present to monetize returns and get your thoughts, we will not touch on resetting



## FINAL <br> THOUGHTS



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